House of Santa Claus

N. Imeta (mail@spam.blorx)

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Here is a short summary or overview of the talk – approximately one to ten lines. You should describe briefly what the main goal of the talk is and how this is accomplished.

1 Basics

Definition 1.1 (House of Santa Claus)**.** The *House of Santa Claus* is the graph (V, E), defined as follows:

$$V := \{1, \dots, 5\}$$
$$E := \big\{\{1,2\},\{1,5\},\{2,3\},\{2,4\},\{2,5\},\{3,4\},\{3,5\},\{4,5\}\big\}$$

One can illustrate the House of Santa Claus as in Figure 1; more information on Ti*k*Z can be found in the documentation [14].

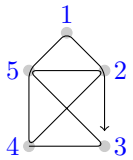

Figure 1: House of Santa Claus

2 Properties of the House of Santa Claus

Theorem 2.1 (House of Santa Claus)**.** *The House of Santa Claus is not complete.*

Proof. We use the notation from Definition 1.1. The House of Santa Claus is not a complete graph because the edge $\{1,3\}$ is not contained in the House of Santa Claus. □

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3 Examples

Example 3.1.

- Here is an example
- ... and another one
- ... and another one

Exercise 3.2. Please do not forget to insert a few exercises – so that the participants can test their understanding of the topic.

Example 3.3.

1. An example ...
2. ... using numbers.

References

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